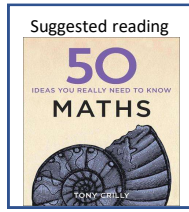


Year 9 – Reasoning with Geometry Deduction



Want to know more? Scan the QR code to visit the curriculum overview for Year 9 Maths, including topic summaries, key words, and books that you may want to read in your own time



What do I need to be able to do?

By the end of this unit you should be able to:

- Identify angles in parallel lines
- Solve angle problems
- Make conjectures with angles
- Make conjectures with shapes

Keywords

Parallel: two straight lines that never meet with the same gradient
Perpendicular: two straight lines that meet at 90°
Transversal: a line that crosses at least two other lines
Sum: the result of adding two or more numbers
Conjecture: a statement that might be true but is not proven
Equation: a statement that says two things are equal
Polygon: a 2D shape made from straight edges
Counterexample: an example that disproves a statement

Alternate angles

Because alternate angles are equal the highlighted angles are the same size

Corresponding angles

Because corresponding angles are equal the highlighted angles are the same size

Co-interior angles

Because co-interior angles have a sum of 180° the highlighted angle is 110°

As angles on a line add up to 180° co-interior angles can also be calculated from applying alternate/ corresponding rules first

Solving angle problems

<p>Angles on a straight Line</p> <p>180°</p> <p>Vertically opposite angles Equal</p> <p>Angles around a point 360°</p>	<p>Link angle facts to algebra</p> <p>$2x + 4x = 180^\circ$</p>	<p>Form an equation</p> <p>$2x + 4x = 180^\circ$</p>	<p>State the reason</p> <p>The sum of angles on a straight line is 180°</p>	<p>Solve</p> <p>$2x + 4x = 180^\circ$ $6x = 180^\circ$ $x = 30^\circ$</p>
	<p>Triangles</p> <p>Sum of angles is 180°</p> <p>Isosceles have the same base angles</p>	<p>Interior Angles</p> <p>The angles enclosed by the polygon</p>	<div style="border: 1px solid black; padding: 5px; display: inline-block;"> <p>$(\text{number of sides} - 2) \times 180$</p> </div>	

Making conjectures with angles

True Always Never

False Sometimes

Proving a conjecture

A pattern is noticed for many cases

Disproving a conjecture

Only one counterexample is needed to disprove a conjecture

Apply the angle rules

The sum of angles in a triangle is 180°

Test the theory

$180 - 70 - 20 = 90$
 $180 - 85 - 5 = 90$
 $180 - 45 - 45 = 90$

Make conjecture

The angle that meets the circumference in a semicircle is 90°

Making conjectures with shapes

Keywords and facts to recall with shape

Area: the amount of space inside a shape
Perimeter: the length around a shape
Regular Polygons: All sides and angles are equal

Quadrilateral Facts

<p>Square</p> <p>All sides equal size All angles 90° Opposite sides are parallel</p>	<p>Parallelogram</p> <p>Opposite sides are parallel Opposite angles are equal Co-interior angles</p>
<p>Rectangle</p> <p>All angles 90° Opposite sides are parallel</p>	<p>Kite</p> <p>No parallel lines Equal lengths on top sides Equal lengths on bottom sides One pair of equal angles</p>
<p>Rhombus</p> <p>All sides equal size Opposite angles are equal</p>	